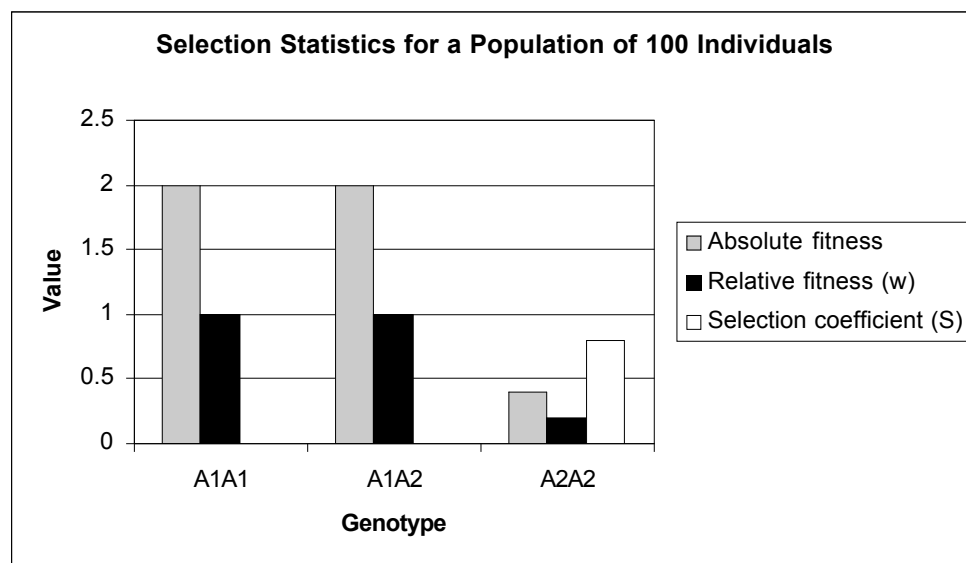
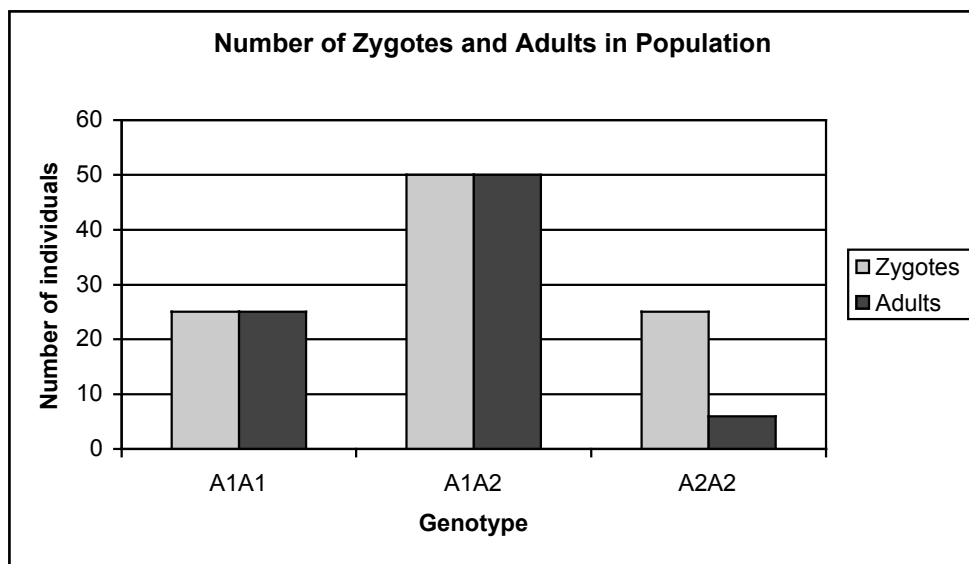


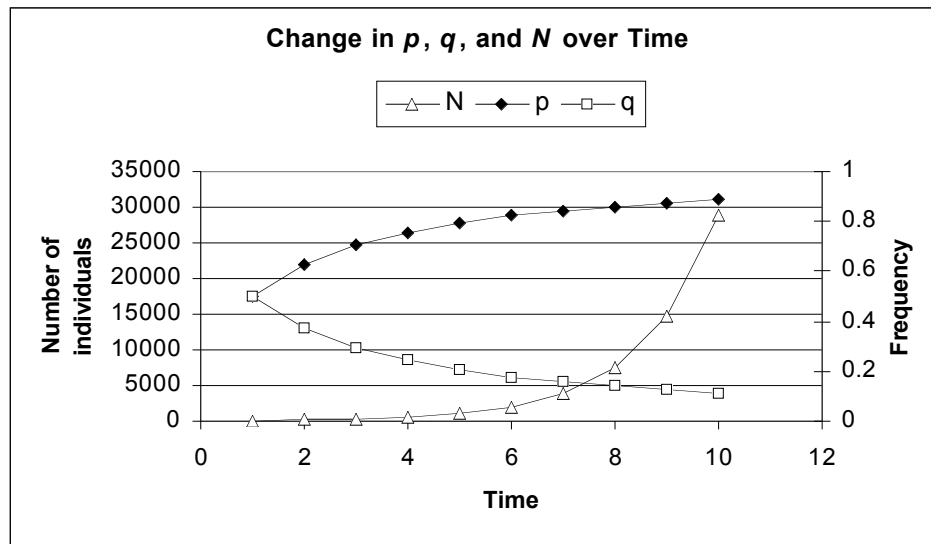
## Answers to Exercise 32

### Natural Selection and Fitness

- The first graph shows how natural selection selected differentially among the different genotypes in terms of survival to adulthood. This graph emphasizes that natural selection can work *within* a generation of individuals, changing the genotype frequencies of the population. However, for evolution to take place, we need to consider how allele frequencies change *across* generations as a result of natural selection. The second graph gives an indication of which genotypes have the greatest impact on the next generation's gene pool, relative to other genotypes.  $W$  is the absolute fitness, or the growth rate of genotypes from one generation to the next;  $w$  is the relative fitness; and  $S$  is the selection coefficient, which indicates how natural selection affects genotypes across generations relative to other genotypes.



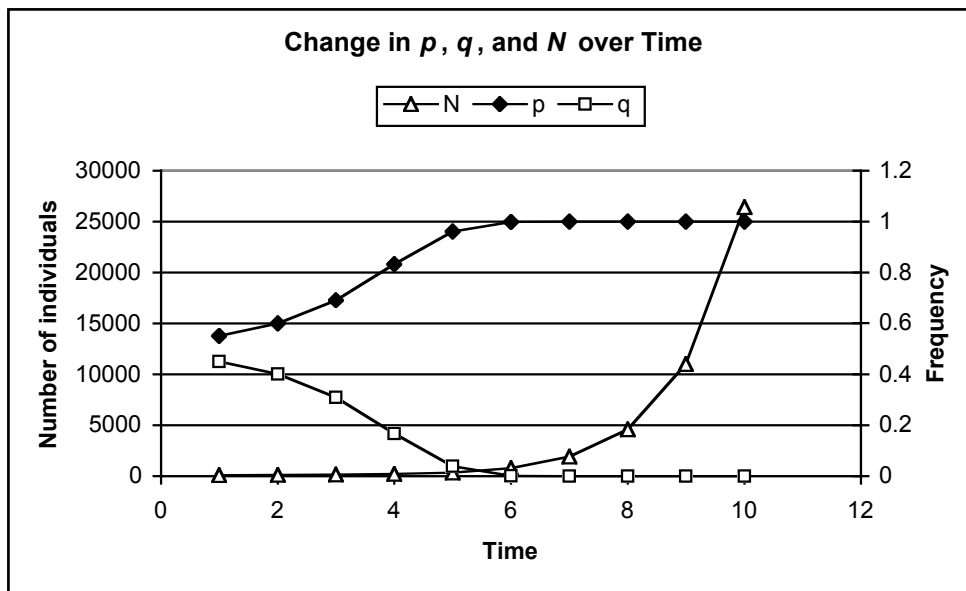
2. The  $A_2$  allele persists in the population because the heterozygote has a high fitness in the population. Since heterozygotes are able to survive and reproduce as well as the  $A_1A_1$  genotype, its gametes will be incorporated into the next generation. Approximately  $\frac{1}{2}$  of its gametes will be  $A_1$ , and  $\frac{1}{2}$  will be  $A_2$ . Thus, the  $A_2$  allele will persist because selection works on **genotypes**, not on alleles. If you extend your model to 100 years (by copying the formulae in cells **I27:L27** down to row 117, you will see that the  $A_2$  allele “stabilizes” in frequency at around 0.012.



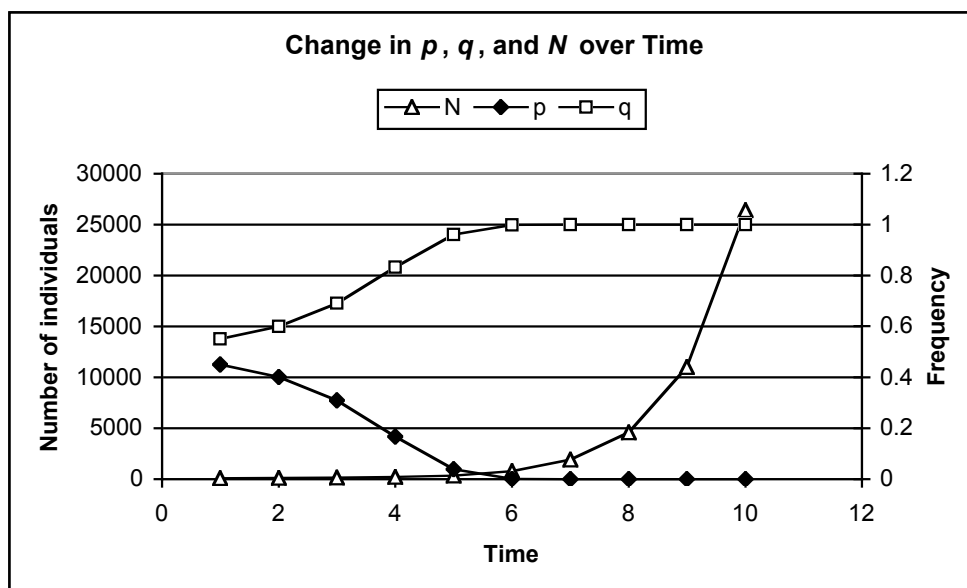
3. Although  $A_2A_2$  has a lower survival probability, those individuals that survive to adulthood now contribute a large number of gametes to the next generation’s gene pool. The result is that the  $A_2A_2$  genotype has the same absolute fitness as the  $A_1A_1$  and  $A_1A_2$  genotypes. Thus, an important point to keep in mind is that fitness has two components: survival and reproduction, and both need to be considered when predicting the impacts of natural selection on evolutionary change.
4. You should see that, although  $W$  has changed for each genotype,  $w$  remains the same. You should also see that  $p$  and  $q$  remain unchanged in the next generation because relative fitness (the growth of genotypes relative to some standard) is the important factor in determining the frequencies of  $p$  and  $q$  in the next generation.
5. The weighted average of the  $W_{ij}$ ’s is  $=C12*C9+D12*D9+E12*E9$ . The computation for  $\lambda$  in cell M18 is  $=L19/L18$ . Both should yield the same result: 1.2, which indicates that the population has grown by 20% from time  $t$  to time  $t + 1$ . This general relationship should hold no matter what values are entered, because the weighted average of the absolute fitness is the same thing as  $\lambda$ , the finite rate of increase for the population. Each  $W$  is multiplied by the frequency of individuals of a given genotype. For example,  $W_{11}$  is multiplied by  $p^2$ ,  $W_{12}$  is multiplied by  $2pq$ , etc. This weighting is necessary because it reflects the number of individuals in the population. Thus, if  $A_1A_1$ ’s and  $A_2A_2$ ’s make up 80% and 20% of the population, respectively,  $W_{11}$  is multiplied by 0.8 and  $W_{22}$  is multiplied by 0.2. This puts more “weight” on the  $W_{11}$  fitness because this genotype (and hence  $W$ ) dominates the population. When the weighted  $W$ ’s are added,

the result is  $\square$ .

- When there is selection against the heterozygote, the course of evolution for the  $p$  and  $q$  depends on the starting genotype frequencies in the population. When  $p > q$ , and there is strong selection against the heterozygote,  $p$  increases in frequency until fixation ( $q = 0$ ).



However, when  $q > p$ , and there is strong selection against the heterozygote,  $q$  increases in frequency until fixation ( $p = 0$ ).



7. You should see that when there is selection for the heterozygote and when the homozygotes have the same relative fitness,  $p$  and  $q$  will eventually reach an equilibrium at 0.5 (The symbols overlap each other on the graph).

