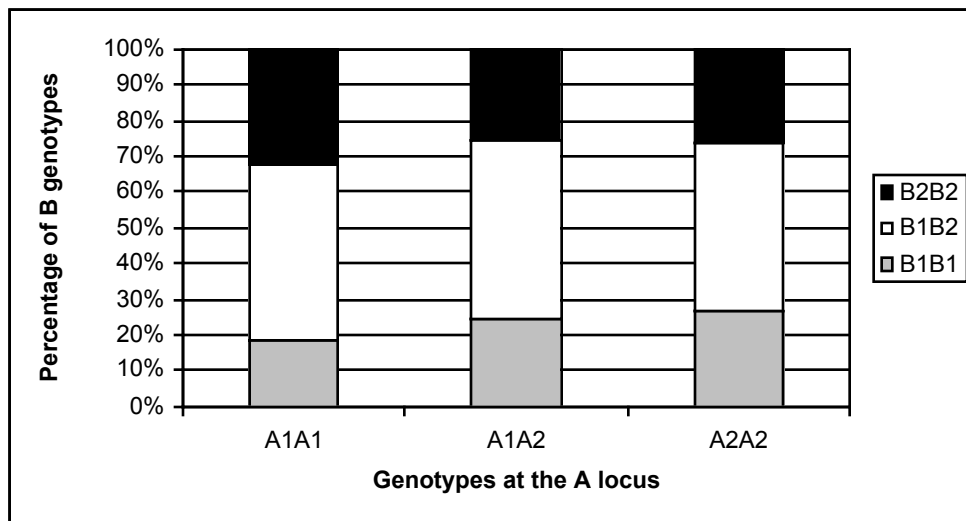


## Answers to Exercise 30

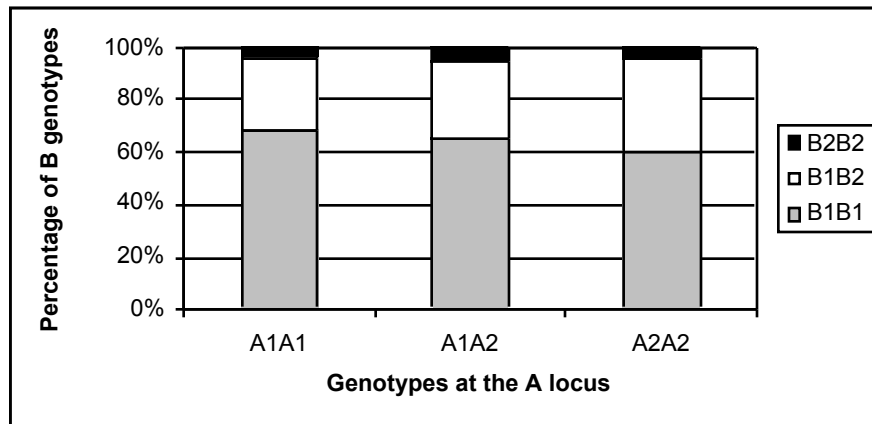
### *Multilocus Hardy-Weinberg and Linkage Disequilibrium*

1. Your graph should indicate that the  $B$  genotypes are distributed more or less in the same manner across the various kinds of  $A$  genotypes. Given that  $p_2 = 0.5$  and  $q_2 = 0.5$ , about 25% of the total offspring population should have  $B_1B_1$  genotypes, about 50% of the offspring should have  $B_1B_2$  genotypes, and about 25% of the offspring population should have  $B_2B_2$  genotypes. If the population is in linkage equilibrium, these percentages should be distributed approximately equally among the various  $A$  genotypes—as they appear to be. The numbers may be off a bit due to the way in which parental genotypes were assigned, and due to the way in which gametes were modeled (randomly).

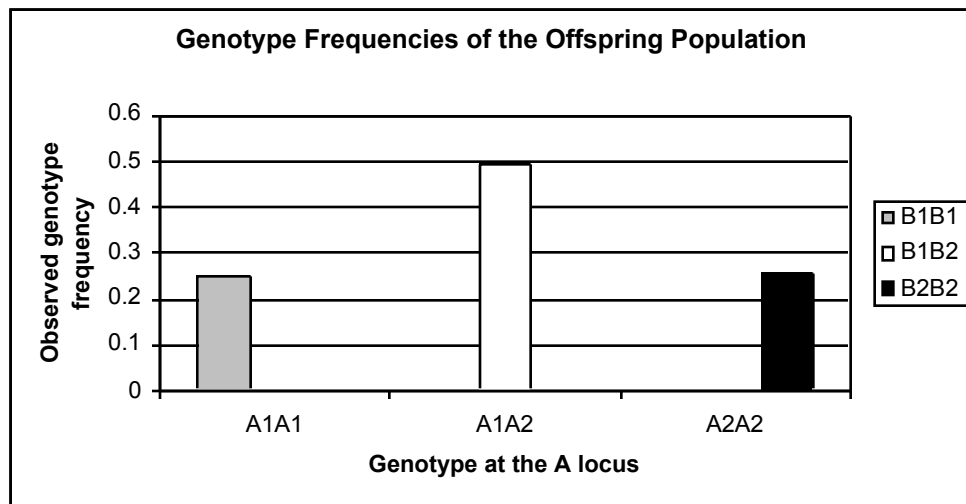


2. The offspring population is still in Hardy-Weinberg equilibrium, and  $D$  is close to 0. You might recall from your first exercise that, no matter what the initial genotypes are, the offspring population will return to Hardy-Weinberg conditions after a single generation of random mating. With the genotype frequencies of the adult population, the frequency of the  $A_1$  allele is about 0.55 and the frequency of the  $A_2$  allele is about 0.45 (these frequencies will change a bit depending on the genotypes of the 1000 individuals in the population). The frequency of the  $B_1$  allele is about 0.85 and the frequency of the  $B_2$  allele is about 0.15. With  $B_1 = 0.85$  and  $B_2 = 0.15$ , we would expect that about 0.7225 (~72%) of the offspring population would be  $B_1B_1$ , that 0.255 (~25%) of the offspring population would be  $B_1B_2$  ( $2 \times p \times q$ ), and that 0.0225 (~2%) of the population would be  $B_2B_2$ . This is true. The  $B_1B_1$  offspring are distributed among the  $A$  genotypes in more or less equal proportions, indicating that

the population is in linkage equilibrium.

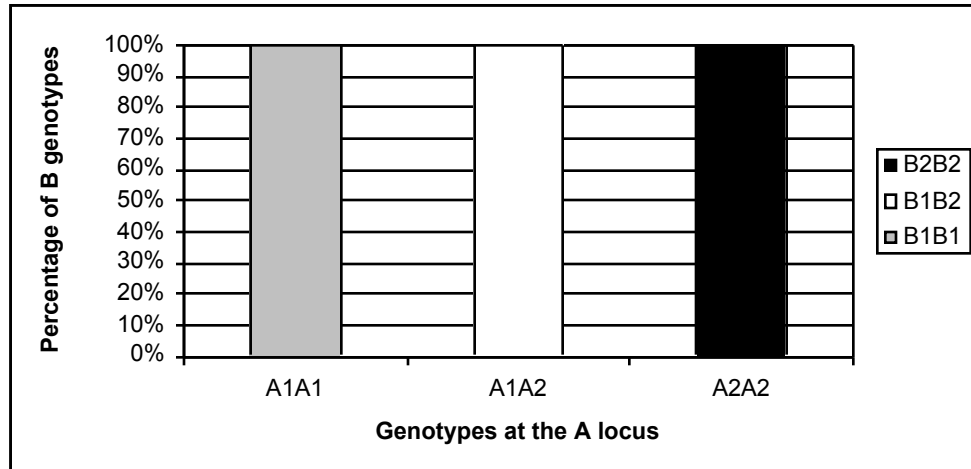


3. With  $A_1A_1B_1B_1 = 0.5$  and  $A_2A_2B_2B_2 = 0.5$ ,  $D$  should be nearly 0.25. Given that  $A_1 = 0.5$ ,  $A_2 = 0.5$ ,  $B_1 = 0.5$ , and  $B_2 = 0.5$ , roughly 25% of the offspring should have  $B_1B_1$  genotypes, roughly 50% should have  $B_1B_2$  genotypes, and roughly 25% should have  $B_2B_2$  genotypes. This appears to be true (graph below), indicating the population is in Hardy-Weinberg equilibrium.



However, inspection of the 100% column charts show the population is in linkage disequilibrium. All of the  $B_1B_1$  genotypes are associated with the  $A_1A_1$  genotype; all of the  $B_1B_2$  genotypes are associated with the  $A_1A_2$  genotype, and all of the  $B_1B_1$

genotypes are associated with the  $A_2A_2$  genotypes. In other words, the  $B$  alleles are not distributed independently among the  $A$  alleles.



- You should see that, with random mating in the absence of natural selection, migration, mutation, or gene flow, that  $D$  decreases by one-half each generation. Although  $D$  changes over time, the frequencies of the  $A_1$  and  $B_1$  allele remain more or less constant, in Hardy-Weinberg equilibrium.

